# Methodologies

# 2.1 Scheduled Commercial Banks

# (a) Banking stability map and indicator

The banking stability map and indicator present an overall assessment of changes in underlying conditions and risk factors that have a bearing on the stability of the banking sector during a period. The six composite indices represent risk in six dimensions - soundness, asset-quality, profitability, liquidity, efficiency and sensitivity to market risk. Each composite index is a relative measure of risk during the sample period used for its construction, where a higher value would mean higher risk in that dimension.

The financial ratios used for constructing each composite index are given in Table 1. Each financial ratio is first normalised for the sample period using the following formula:

$$Y_t = \frac{X_t - \min(X_t)}{\max(X_t) - \min(X_t)}$$

where  $X_t$  is the value of the ratio at time t. If a variable is negatively related to risk, then normalisation is done using  $1-Y_t$ . Composite index of each dimension is then calculated as a simple average of the normalised ratios in that dimension. Finally, the banking stability indicator is constructed as a simple average of these six composite indices. Thus, each composite index or the overall banking stability indicator takes values between zero and one.

Dimension	Ratios			
Soundness	CRAR #	Nonperforming loans net of provisions to capital	Tier 1 capital to assets #	
Asset- Quality	Gross NPAs to Total Advances	Provisions to nonperforming loans #	Sub-Standard Advances to Gross NPAs #	Restructured Standard Advances to Standard Advances
Profitability	Return on Assets #	Net Interest Margin #	Growth in Profit Before Tax #	Interest margin to gross income #
Liquidity	Liquid Assets to Total Assets #	Liquidity Coverage Ratio #	Customer Deposits to Total Assets #	Non-Bank Advances to Customer-Deposits
Efficiency	Cost to Income	Business (Credit + Deposits) to Staff Expenses #	Staff Expenses to Total Expenses	
Sensitivity to market risk	RWA (market risk) to capital	Trading income to gross income		

Table	1: Ratios	used for	constructing	the banking	g stability :	map and	indicator

Note: # Negatively related to risk.

## (b) Macro stress testing

Macro-stress test ascertains the resilience of banks against macroeconomic shocks by assessing the impact of macro shocks on capital adequacy of a set of major scheduled commercial banks (46 banks presently). Macro-stress test attempts to project capital ratios over a one-year horizon, under a baseline and two adverse (medium and severe) scenarios. The macro-stress test framework consists of (i) designing the macro scenarios, (ii) projection of GNPA ratios, (iii) projection of profit after tax (PAT), (iv) projection of sectoral probability of default (PD) and (v) projection of capital ratios.

## I. Designing Macro Scenarios

Macro scenarios are designed using several macroeconomic and macrofinancial variables such as real and nominal GDP growth, CPI (combined) inflation, WPI inflation, Current account balance-to-GDP ratio ( $\frac{CAB}{GDP}$ ), Gross fiscal deficit-to-GDP ratio ( $\frac{GFD}{GDP}$ ), Export-to-GDP ratio ( $\frac{EX}{GDP}$ ), Weighted average lending rate (WALR), 10-year and 5-year AAA / BBB Corporate bond spread, 10-year and 5-year term spread, NIFTY-50 growth, Real effective exchange rate (REER), Oil price growth, bank-group wise WALR, Interest coverage ratio (ICR), Net profit-to-sales, Operating profit-to-sales, House price-to-income ratio, Private Final Consumption Expenditure (PFCE) growth, Credit growth, Sectoral GVA growth *etc.* The baseline scenario is derived from the projected values of macro variables. The medium and severe adverse scenarios have been obtained by applying 0.25 to one standard deviation (SD) shocks and 1.25 to two SD shocks, respectively, to the macro variables, increasing the shocks sequentially by 25 basis points in each quarter.

### II. Projection of GNPA ratios

GNPA ratios are projected for each of the three bank groups, *viz*, public sector banks (PSBs), private sector banks (PVBs) and foreign banks (FBs). Natural logs of GNPA ratios of these bank-groups are modelled using two complementary econometric models, *viz*; (i) Autoregressive distributed lag (ADL) model and (ii) Vector auto regression (VAR) model. The values projected based on both these models are averaged to arrive at the final projections of GNPA ratios for each bank-group. The natural logs of GNPA ratios of each bank group are modelled as follows:

#### II.1 Public Sector Banks

## II.1a ADL Model

$$LGNPA_{t} = \alpha_{1} + \beta_{1} LGNPA_{t-1} - \beta_{2} \Delta \text{NGDP}_{t-3} + \beta_{3} RWALR\_PSB_{t-1} - \beta_{4} \left(\frac{Exp}{GDP}\right)_{t-1} + \beta_{5} 5y\_BBB\_Spread_{t-1} - \beta_{6}ICR_{t-2} + \beta_{7}\text{Dummy1} - \beta_{8}\text{Dummy2}$$

where,  $\alpha_1$ ,  $\beta_1$ ,  $\beta_2$ ,  $\beta_3$ ,  $\beta_4$ ,  $\beta_5$ ,  $\beta_6$ ,  $\beta_7$  and  $\beta_8 > 0$ 

## II.1b VAR Model

Log GNPA ratio of PSBs along with the macro variables, *viz*, Nominal GDP growth and 5-year BBB bond spread are modelled using VAR model of order 1.

# II.2 Private Sector Banks

### II.2a ADL Model

$$LGNPA_{t} = \alpha_{1} + \beta_{1} LGNPA_{t-1} - \beta_{2} \Delta GDP_{t-3} + \beta_{3} RWALR_{PVB_{t-1}} - \beta_{4} \left(\frac{Exp}{GDP}\right)_{t-3} + \beta_{5} 10y_{BBB}Spread_{t-3} - \beta_{6} \left(\frac{Operating Profit}{Sales}\right)_{t-1} - \beta_{7} \Delta NIFTY_{t-3}$$

where,  $\alpha_1, \beta_1, \beta_2, \beta_3, \beta_4, \beta_5, \beta_6$  and  $\beta_7 > 0$ 

## II.2b VAR Model

Log GNPA ratio of PVBs along with the macro variables, *viz*, RWALR of PVBs, 10-year BBB bond spread, Operating profit-to-sales ratio and NIFTY 50 annual growth are modelled using VAR model of order 1.

### II.3 Foreign Banks

#### II.3a ADL Model

$$LGNPA_{t} = \alpha_{1} + \beta_{1} LGNPA_{t-1} - \beta_{2} \Delta GDP_{t-3} + \beta_{3} \Delta Oil_{t-1} + \beta_{4} WALR\_FB_{t-2} - \beta_{5} \left(\frac{Exp}{GDP}\right)_{t-2} + \beta_{6} 10y\_BBB\_Spread_{t-2} - \beta_{7}ICR_{t-3} + \beta_{8}Dummy1 - \beta_{9}Dummy2$$

where,  $\alpha_1$ ,  $\beta_1$ ,  $\beta_2$ ,  $\beta_3$ ,  $\beta_4$ ,  $\beta_5$ ,  $\beta_6$ ,  $\beta_7$ ,  $\beta_8$  and  $\beta_9 > 0$ 

# II.3b VAR Model

Log GNPA ratio of FBs along with the macro variables, *viz*, WALR of FBs, Exports-to-GDP ratio, Oil price growth and CPI inflation are modelled using VAR model of order 1.

### II.4 All SCBs

The system-level GNPA ratios are projected by aggregating the bank-group level projections using weighted average with gross loans and advances as weights. The projections are done under the baseline and adverse scenarios.

#### III. Projection of PAT

The components of PAT such as, net interest income (NII), other operating income (OOI), operating expenses (OE) and provisions are projected for each of the bank-groups using the following models.

## III.1 Public Sector Banks

#### III.1.1 Projection of Net Interest Income (NII)

NII is the difference between interest income and interest expense. The ratio of NII to total average assets of PSBs is modelled using the following ADL and VAR models and the projected values based on these models are averaged to arrive at the final projections.

# III.1.1a ADL Model

$$\begin{split} NII_t &= -\alpha_1 + \beta_1 NII_{t-1} + \beta_2 5y\_TermSpread_{t-1} + \beta_3 \Delta NGDP_{t-4} + \beta_4 \left(\frac{E \lambda P}{GDP}\right)_{t-1} + \\ \beta_5 Spread\_PSB_t - \beta_6 GNPA\_PSB_{t-1} \end{split}$$
  
where,  $\alpha_1, \beta_1, \beta_2, \beta_3, \beta_4, \beta_5$  and  $\beta_6 > 0$ 

Here, 5y\_TermSpread is the difference between 5-year G-Sec yield and 3-month T-Bill rate. Spread\_PSB is the difference between average interest rate earned by interest earning assets and average interest paid on interest bearing liabilities of PSBs.

E

# III.1.1b VAR Model

NII-to-total average assets ratio is modelled using VAR model of order 1 together with the variables, *viz*, incremental GNPA ratio of PSBs, NIFTY 50 annual growth rate, 5-year term spread, and incremental interest rate spread of PSBs.

### III.1.2 Projection of Other Operating Income (OOI)

The ratio of OOI to total average assets is modelled using the following ADL model:

 $OOI_{t} = \alpha_{1} + \beta_{1} OOI_{t-1} + \beta_{2} 10y\_AAASpread_{t-1} + \beta_{3} \Delta GDP_{t-2} + \beta_{4} \left(\frac{CAB}{GDP}\right)_{t-1}$ where,  $\alpha_{1}, \beta_{1}, \beta_{2}, \beta_{3} and \beta_{4} > 0$ 

#### III.1.3 Projection of Operating Expense (OE)

The y-o-y growth of OE is modelled using the following ADL model:

 $OE_t = \alpha_1 + \beta_1 OE_{t-1} + \beta_2 OE_{t-2} - \beta_3 OE_{t-3} + \beta_4 \Delta CPI_{t-1}$ 

where,  $\alpha_1$ ,  $\beta_1$ ,  $\beta_2$ ,  $\beta_3$  and  $\beta_4 > 0$ 

#### **III.1.4** Projection of Provisions

The ratio of Provisions to gross loans and advances is modelled using the following ADL and VAR models and the projected values based on these models are averaged to arrive at the final projections.

#### III.1.4a ADL Model

$$Provisions_{t} = \beta_{1} Provisions_{t-1} + \beta_{2} GNPA_{PSB_{t-1}} - \beta_{3} \Delta GDP_{t-2} + \beta_{4} \left(\frac{GPD}{GDP}\right)_{t-3}$$
  
where,  $\beta_{1}, \beta_{2}, \beta_{3}$  and  $\beta_{4} > 0$ 

CED

### III.1.4b VAR Model

Provisions-to- gross loans and advances ratio is modelled using VAR model of order 2 along with the variables, *viz*, GNPA ratio of PSBs, 5-year term spread and gross fiscal deficit.

#### **III.2** Private Sector Banks

## **III.2.1** Projection of Net Interest Income

The ratio of NII to total average assets for PVBs is modelled using the following ADL and VAR models and the projected values based on these models are averaged to arrive at the final projections.

## III.2.1a ADL Model

$$\begin{split} NII_{t} &= \alpha_{1} + \beta_{1} NII_{t-1} + \beta_{2} 5y\_TermSpread_{t-1} + \beta_{3} \left(\frac{Exp}{GDP}\right)_{t-1} + \\ \beta_{4} Spread\_PVB_{t} - \beta_{5}GNPA\_PVB_{t-1} \\ \text{where, } \alpha_{1}, \beta_{1}, \beta_{2}, \beta_{3}, \beta_{4} \text{ and } \beta_{5} > 0 \end{split}$$

Spread\_PVB is the difference between average interest rate earned by interest earning assets and average interest paid on interest bearing liabilities of PVBs.

## III.2.1b VAR Model

NII-to-total average assets ratios are modelled using VAR model of order 1 along with the variables, *viz*, GNPA ratio of PVBs, NIFTY 50 annual growth rate and interest rate spread of PVBs.

## **III.2.2** Projection of Other Operating Income

The ratio of OOI to total average assets is modelled using the following ADL model:

$$OOI_{t} = \alpha_{1} + \beta_{1} OOI_{t-1} + \beta_{2} \Delta GDP_{t-2} + \beta_{3} \left(\frac{CAB}{GDP}\right)_{t-1}$$

where,  $\alpha_1$ ,  $\beta_1$ ,  $\beta_2$  and  $\beta_3 > 0$ 

### **III.2.3** Projection of Operating Expense

The y-o-y growth of OE is modelled using the following ADL model:

$$OE_{t} = \alpha_{1} + \beta_{1} OE_{t-1} + \beta_{2} OE_{t-2} + \beta_{3} OE_{t-3} - \beta_{4} OE_{t-4} + \beta_{5} \Delta WPI_{t-1}$$

where,  $\alpha_1$ ,  $\beta_1$ ,  $\beta_2$ ,  $\beta_3$ ,  $\beta_4$  and  $\beta_5 > 0$ 

#### **III.2.4** Projection of Provisions

The ratio of Provisions to gross loans and advances of PVBs is modelled using the following ADL and VAR models and the projected values based on these models are averaged to arrive at the final projections.

#### III.2.4a ADL Model

$$Provisions_{t} = -\alpha_{1} + \beta_{1} Provisions_{t-1} + \beta_{2} GNPA_{PVB_{t-1}} - \beta_{3} \Delta GDP_{t-2} - \beta_{4} \left(\frac{Bxp}{GDP}\right)_{t-1}$$
  
where,  $\alpha_{1}, \beta_{1}, \beta_{2}, \beta_{2}$  and  $\beta_{4} > 0$ 

#### III.2.4b VAR Model

Provisions-to- gross loans and advances ratio is modelled using VAR model of order 1 together with the variables, *viz*, GNPA ratio of PVBs, exports-to-GDP ratio and 5-year term spread.

#### III.3 Foreign Banks

## III.3.1 Projection of Net Interest Income

The ratio of NII to total average assets for FBs is modelled using the following ADL and VAR models and the projected values based on these models are averaged to arrive at the final projections.

### III.3.1a ADL Model

$$\begin{split} \textit{NII}_t &= \alpha_1 + \beta_1 \textit{NII}_{t-1} + \beta_2 \textit{\Delta} \textit{NGDP}_{t-2} - \beta_3 \textit{REER}_{t-3} + \beta_4 \textit{Spread}\_\textit{FB}_t - \beta_5 \textit{GNPA}\_\textit{FB}_{t-1} \\ \text{where, } \alpha_1, \beta_1, \beta_2, \beta_3, \beta_4 \text{and } \beta_5 > 0 \end{split}$$

Spread\_FB is the difference between average interest rate earned by interest earning assets and average interest paid on interest bearing liabilities of FBs.

г.

# III.3.1b VAR Model

NII-to-total average assets ratios are modelled using VAR model of order 2 along with the variables, *viz*, GNPA ratio of FBs and interest rate spread of FBs.

# III.3.2 Projection of Other Operating Income

The ratio of OOI to total average assets is modelled using the following ADL model:

$$OOI_{t} = \alpha_{1} + \beta_{1} OOI_{t-1} + \beta_{2} \Delta GDP_{t-2} + \beta_{3} \left(\frac{Exp}{GDP}\right)_{t-2}$$

where,  $\alpha_1$ ,  $\beta_1$ ,  $\beta_2$  and  $\beta_3 > 0$ 

### **III.3.3** Projection of Operating Expense

The y-o-y growth of OE is modelled using the following ADL model:

$$OE_t = \alpha_1 + \beta_1 OE_{t-1} + \beta_2 OE_{t-2} + \beta_3 \Delta WPI_{t-1}$$

where,  $\alpha_1$ ,  $\beta_1$ ,  $\beta_2$  and  $\beta_3 > 0$ 

#### **III.3.4** Projection of Provisions

The ratio of Provisions to gross loans and advances of FBs is modelled using the following ADL and VAR models and the projected values based on these models are averaged to arrive at the final projections.

#### III.3.4a ADL Model

$$Provisions_{t} = -\alpha_{1} + \beta_{1} Provisions_{t-1} + \beta_{2} GNPA\_FB_{t-1} - \beta_{3} \Delta GDP_{t-1} - \beta_{4} \left(\frac{Exp}{GDP}\right)_{t-1}$$
  
where,  $\alpha_{1}, \beta_{1}, \beta_{2}, \beta_{3}$  and  $\beta_{4} > 0$ 

# III.3.4b VAR Model

Provisions-to- gross loans and advances ratios are modelled using VAR model of order 1 together with the variables, *viz*, GNPA ratio of FBs and GDP growth.

Projection of PAT for each bank group are derived from the projected values of its components using the following identity:

PAT = NII + OOI - OE - Provisions & Write of f - Income Tax

Projection of PAT is made under the baseline and adverse scenarios. The applicable income tax is assumed as 35 per cent of profit before tax, which is based on the past trend of ratio of income tax to profit before tax.

The bank-wise profit after tax (PAT) is derived using the following steps:

- For each bank-group, components of PAT are projected under baseline and adverse scenarios.
- Share of components of PAT of each bank (except income tax) in their respective bank-group is calculated.

- For each bank, a component of PAT (except income tax) is projected by applying that bank's share in the component of PAT on the projected value of that component in the respective bank-group.
- Finally, bank-wise PAT is projected by appropriately applying the aforesaid identity on the projected values of components derived in the previous step.

# IV. Projection of Sectoral PDs

Sectoral PDs of 18 sectors/ sub-sectors (Table 2) are modelled using ADL models and projected for four quarters ahead under assumed baseline as well as adverse scenarios.

Sr. No.	Sector	Sr. No.	Sector
1	Engineering	10	Basic Metal and Metal Products
2	Auto	11	Mining
3	Cement	12	Paper
4	Chemicals	13	Petroleum
5	Construction	14	Agriculture
6	Textiles	15	Services
7	Food Processing	16	Retail-Housing
8	Gems and Jewellery	17	Retail-Others
9	Infrastructure	18	Others

Table 2: List of selected sectors/ sub-sectors

The ADL models for sectoral PD projections are as follows:

1. Engineering

$$PD_{t} = -\alpha + \beta_{1}PD_{t-1} - \beta_{2}PD_{t-2} - \beta_{3}\Delta GVA(Industry)_{t-3} + \beta_{4}RWALR_{t-1} - \beta_{5}\left(\frac{CAB}{GDP}\right)_{t-1} + \beta_{6}REER_{t-1} + \beta_{7}Dummy_{t}$$

where,  $\alpha$ ,  $\beta_1$ ,  $\beta_2$ ,  $\beta_3$ ,  $\beta_4$ ,  $\beta_5$ ,  $\beta_6$  and  $\beta_7 > 0$ 

2. Automobile

$$PD_{t} = \alpha + \beta_{1}PD_{t-1} - \beta_{2}\Delta PD_{t-2} - \beta_{3}\left(\frac{CAB}{GDP}\right)_{t-3} + \beta_{4}Dummy_{t}$$

where,  $\alpha$ ,  $\beta_1$ ,  $\beta_2$ ,  $\beta_3$  and  $\beta_4 > 0$ 

3. Cement

 $PD_{t} = -\alpha + \beta_{1}PD_{t-1} - \beta_{2}\Delta Credit_{t-1} + \beta_{3}WALR_{t-1} + \beta_{4}Dummy_{t}$ where,  $\alpha$ ,  $\beta_{1}$ ,  $\beta_{2}$ ,  $\beta_{3}$  and  $\beta_{4} > 0$ 

4. Chemicals and Chemical Products

$$PD_{t} = -\alpha + \beta_{1}PD_{t-1} - \beta_{2}PD_{t-2} - \beta_{3}\Delta GVA(Industry)_{t-3} + \beta_{4}WALR_{t-1} + \beta_{5}REER_{t-2} + \beta_{6}Dummy_{t}$$

where,  $\alpha$ ,  $\beta_1$ ,  $\beta_2$ ,  $\beta_3$ ,  $\beta_4$ ,  $\beta_5$  and  $\beta_6 > 0$ 

5. Construction  $PD_t = -\alpha + \beta_1 PD_{t-1} - \beta_2 PD_{t-2} - \beta_3 \Delta GDP_{t-3} + \beta_4 RWALR_{t-1} - \beta_5 \left(\frac{Exp}{GDP}\right)_{t-1} + \beta_6 REER_{t-3}$  $+\beta_7 Dummy_t$ where,  $\alpha$ ,  $\beta_1$ ,  $\beta_2$ ,  $\beta_3$ ,  $\beta_4$ ,  $\beta_5$ ,  $\beta_6$  and  $\beta_7 > 0$ Textiles 6.  $PD_{t} = -\alpha + \beta_{1}PD_{t-1} - \beta_{2}PD_{t-2} - \beta_{3}\Delta GDP_{t-3} + \beta_{4}\Delta REER_{t-2} - \beta_{5}\Delta NIFTY50_{t-1} + \beta_{6}Dummy_{t-1} + \beta_{6}Dumy_{t-1} + \beta_{6}Dumy_{t-1} + \beta_{6}Dumy_{t-1} + \beta$ where,  $\alpha$ ,  $\beta_1$ ,  $\beta_2$ ,  $\beta_3$ ,  $\beta_4$ ,  $\beta_5$  and  $\beta_6 > 0$ Food Processing 7.  $PD_{t} = \alpha + \beta_{1}PD_{t-1} + \beta_{2}\Delta REER_{t} - \beta_{3}\left(\frac{Exp}{GDP}\right)_{t-2} - \beta_{4}ICR_{t-1} + \beta_{5}\Delta WPI_{t-1} + \beta_{6}Dummy_{t}$ where,  $\alpha$ ,  $\beta_1$ ,  $\beta_2$ ,  $\beta_3$ ,  $\beta_4$ ,  $\beta_5$  and  $\beta_6 > 0$ Gems and Jewellery 8.  $PD_{t} = -\alpha + \beta_{1}PD_{t-1} - \beta_{2}PD_{t-4} - \beta_{3}\Delta GDP_{t-1} + \beta_{4}REER_{t-1} - \beta_{5}\left(\frac{Exp}{GDP}\right)_{t-3} + \beta_{6}RWALR_{t-2}$ where,  $\alpha$ ,  $\beta_1$ ,  $\beta_2$ ,  $\beta_3$ ,  $\beta_4$ ,  $\beta_5$  and  $\beta_6 > 0$ Infrastructure 9.  $PD_{t} = -\alpha + \beta_{1}PD_{t-1} - \beta_{2}PD_{t-4} - \beta_{3}\Delta GDP_{t-2} + \beta_{4}REER_{t-2} + \beta_{5}RWALR_{t-3} + \beta_{6}Dummy_{t}$ where,  $\alpha$ ,  $\beta_1$ ,  $\beta_2$ ,  $\beta_2$ ,  $\beta_4$ ,  $\beta_5$  and  $\beta_6 > 0$ 10. Basic Metal  $PD_{t} = \beta_{1}PD_{t-1} - \beta_{2}PD_{t-2} - \beta_{3}\Delta GVA(Industry)_{t-3} + \beta_{4}REER_{t-3} - \beta_{5}\left(\frac{Exp}{GDP}\right)_{t-1} + \beta_{6}\Delta WALR_{t}$  $+\beta_7 Dumm v_t$ where,  $\alpha$ ,  $\beta_1$ ,  $\beta_2$ ,  $\beta_3$ ,  $\beta_4$ ,  $\beta_5$ ,  $\beta_6$  and  $\beta_7 > 0$ 11. Mining & Quarrying  $PD_{t} = -\alpha + \beta_{1}PD_{t-1} - \beta_{2}\Delta GVA(Mining)_{t-2} + \beta_{3}REER_{t-2}$  $-\beta_4 \left(\frac{Exp}{GDP}\right)_{t=2} - \beta_5 \Delta Credit_{t-1}$ where,  $\alpha$ ,  $\beta_1$ ,  $\beta_2$ ,  $\beta_3$ ,  $\beta_4$  and  $\beta_5 > 0$ Paper & Paper products 12.  $PD_{t} = \alpha + \beta_{1}PD_{t-1} - \beta_{2}\Delta PD_{t-2} - \beta_{3}\left(\frac{CAB}{GDP}\right)_{t-2} + \beta_{4}\Delta WALR_{t} + \beta_{5}Dummy_{t}$ where,  $\alpha$ ,  $\beta_1$ ,  $\beta_2$ ,  $\beta_2$ ,  $\beta_4$  and  $\beta_5 > 0$ 13. Petroleum and Petroleum Products  $PD_{t} = \alpha + \beta_{1}PD_{t-1} + \beta_{2}\Delta Oilprice_{t-1} - \beta_{3}\Delta Credit_{t-2} + \beta_{4}RWALR_{t-4} - \beta_{5}\Delta PFCE_{t-2}$ where,  $\alpha$ ,  $\beta_1$ ,  $\beta_2$ ,  $\beta_3$ ,  $\beta_4$  and  $\beta_5 > 0$ 14. Agriculture  $PD_{t} = \alpha + \beta_{1}PD_{t-1} - \beta_{2}PD_{t-2} - \beta_{3}\Delta PFCE_{t-1} - \beta_{4}\left(\frac{Exp}{GDP}\right)_{t-2} + \beta_{5}\Delta CPI_{t-1} + \beta_{6}\Delta WALR_{t}$ where,  $\alpha$ ,  $\beta_1$ ,  $\beta_2$ ,  $\beta_3$ ,  $\beta_4$ ,  $\beta_5$  and  $\beta_6 > 0$ 

CAD

- 15. Services  $PD_{t} = \alpha + \beta_{1}PD_{t-1} - \beta_{2}\Delta GVA(Services)_{t-2} - \beta_{3}\left(\frac{Exp}{GDP}\right)_{t-2} - \beta_{4}\Delta NIFTY50_{t-1}$ where,  $\alpha$ ,  $\beta_{1}$ ,  $\beta_{2}$ ,  $\beta_{3}$  and  $\beta_{4} > 0$
- 16. Retail Loan- Housing  $PD_t = -\alpha + \beta_1 PD_{t-1} + \beta_2 (House \ price. to. Income)_{t-1} - \beta_3 NGDP_{t-4} + \beta_4 \Delta WALR_t$ where,  $\alpha$ ,  $\beta_1$ ,  $\beta_2$ ,  $\beta_3$  and  $\beta_4 > 0$
- 17. Retail Loan- Other than Housing  $PD_t = \alpha + \beta_1 PD_{t-1} + \beta_2 RWALR_{t-3} + \beta_3 \Delta CPI_{t-3}$ where,  $\alpha$ ,  $\beta_1$ ,  $\beta_2$  and  $\beta_3 > 0$
- 18. Other Sectors

$$PD_{t} = -\alpha + \beta_{1}PD_{t-1} - \beta_{2}PD_{t-3} - \beta_{3}\Delta GVA(Industry)_{t-4} + \beta_{4}RWALR_{t-1} - \beta_{5}\left(\frac{CAB}{GDP}\right)_{t-4}$$
  
where,  $\alpha$ ,  $\beta_{1}$ ,  $\beta_{2}$ ,  $\beta_{3}$ ,  $\beta_{4}$  and  $\beta_{5} > 0$ 

# V. Projection of Capital Ratios

Capital projections are made for each of the 46 banks under baseline and adverse stress scenarios. Capital projections are made by estimating risk-weighted assets (RWAs) using internal rating based (IRB) formula and under the conservative assumption that only 25 per cent of PAT would be transferred to capital funds in the subsequent period, as per the minimum regulatory requirements.

The formulae used for projection of CRAR and Common Equity Tier 1 (CET1) capital ratio are given below:

$$CRAR_{t+1} = \frac{Total Capital_t + 0.25 * PAT_{t+1}}{RWA(credit risk)_{t+1} + RWA(others)_{t+1}}$$

$$CET1 Capital Ratio_{t+1} = \frac{CET1_t + 0.25 * PAT_{t+1}}{RWA(credit risk)_{t+1} + RWA(others)_{t+1}}$$

PAT is projected using the models listed in the previous section. RWA (others), which is total RWA minus RWA of credit risk, is projected based on average growth rate observed in the past one year. RWA (credit risk) is estimated using the IRB formula given below:

IRB Formula: Bank-wise RWAs for credit risk were estimated using the following IRB formula;

$$RWAs(credit risk) = 12.5 \times \left(\sum_{i=1}^{n} EAD_i \times K_i\right)$$

where, EADi is exposure at default of a bank in the sector i (i=1,2....n).

K<sub>i</sub> is minimum capital requirement for the sector i which is calculated using the following formula: *Capital requirement (K)* 

$$= \left[ LGD_i \times N \left[ (1 - R_i)^{-0.5} \times G(PD_i) + \left(\frac{R_i}{1 - R_i}\right)^{0.5} \times G(0.999) \right] - PD_i \times LGD_i \right] \\ \times \left( 1 - 1.5 \times b(PD_i) \right)^{-1} \times \left( 1 + (M_i - 2.5) \times b(PD_i) \right)$$

where, LGDi is loss given default of sector i, PDi is probability of default of sector i, N(..) is cumulative distribution function of standard normal distribution, G(..) is the inverse of the cumulative distribution function of standard normal distribution, Mi is average maturity of loans of sector i (which is taken 2.5 for all sectors in this case), b(PDi) is smoothed maturity adjustment and Ri is the correlation of sector i with the general state of the economy. Calculation of both, b(PD) and R depends upon PD.

The aforesaid IRB formula requires three major inputs, *viz*, sectoral PD, EAD and LGD. Here, annual slippage of the sectors are assumed as proxies of sectoral PDs. PD of a particular sector is assumed as the same for each of the 46 selected banks. EAD of a bank for a particular sector is considered as the total outstanding loan (net of NPAs) of the bank in that sector. LGD is assumed as 60 per cent (broadly as per the RBI guidelines on 'Capital Adequacy - The IRB Approach to Calculate Capital Requirement for Credit Risk') under the baseline scenario, 65 per cent under medium stress scenario and 70 per cent under the severe stress scenario.

Using these formulae, assumptions and inputs, the capital ratio of each bank is estimated. The differences between IRB-based capital ratios estimated for the latest quarter and those of the ensuing quarters projected under the baseline scenario and the incremental change in the ratios from baseline to adverse scenarios are appropriately applied on the latest observed capital ratios (under Standardised Approach) to arrive at the final capital ratio projections.

# (c) Single factor sensitivity analysis - Stress testing

As a part of quarterly surveillance, stress tests are conducted covering credit risk, interest rate risk, liquidity risk *etc.* and the resilience of commercial banks in response to these shocks is studied. The analysis is done on individual SCBs as well as on the system level.

# I. Credit risk (includes concentration risk)

To ascertain the resilience of banks, the credit portfolio was given a shock by increasing GNPA ratio for the entire portfolio. For testing the credit concentration risk, default of the top individual borrower(s) and the largest group borrower(s) was assumed. The analysis was carried out both at the aggregate level as well as at the individual bank level. The assumed increase in GNPAs was distributed across sub-standard, doubtful and loss categories in the same proportion as prevailing in the existing stock of NPAs. However, for credit concentration risk (exposure based) the additional GNPAs under the assumed shocks were considered to fall into sub-standard category only and for credit concentration risk (based on stressed advances), stressed advances were considered to fall into loss category. The provisioning requirements were taken as 25 per cent, 75 per cent and 100 per cent for sub-standard, doubtful and loss advances respectively. These norms were applied on additional GNPAs calculated under a stress scenario. As a result of the assumed increase in GNPAs, loss of income on the additional GNPAs for one quarter was also included in total losses, in addition to the incremental provisioning requirements. The estimated provisioning requirements so derived were deducted from banks' capital and stressed capital adequacy ratios were computed.

# II. Sectoral credit risk

To ascertain the sectoral credit risk of individual banks, the credit portfolios of particular sector was given a shock by increasing GNPA ratio for the sector. The analysis was carried out both at

the aggregate level as well as at the individual bank level. Sector specific shocks based on standard deviation (SD) of GNPA ratios of a sector are used to study the impact on individual banks. The additional GNPAs under the assumed shocks were considered to fall into sub-standard category only. As a result of the assumed increase in GNPAs, loss of income on the additional GNPAs for one quarter was also included in total losses, in addition to the incremental provisioning requirements. The estimated provisioning requirements so derived were deducted from banks' capital and stressed capital adequacy ratios were computed.

#### III. Interest rate risk

Under assumed shocks of the shifting of the INR yield curve, there could be losses on account of the fall in value of the portfolio or decline in income. These estimated losses were reduced from the banks' capital to arrive at stressed CRAR.

For interest rate risk in the trading portfolio (HFT + AFS) and HTM portfolio, a duration analysis approach was considered for computing the valuation impact (portfolio losses). The portfolio losses on these investments were calculated for each time bucket (HFT + AFS) or overall (HTM) based on the applied shocks. The resultant losses/gains were used to derive the impacted CRAR.

Interest rate risk of banks refers to the risk to a bank's capital and earnings arising from adverse movements in interest rates that affect bank's books. The impact on earning is measured using the Traditional Gap Analysis (TGA) and capital impact is measured by Duration Gap Analysis (DGA). The focus of TGA is to measure the level of a bank's exposure to interest rate risk in terms of the sensitivity of its net interest income (NII) to interest rate movements over one year horizon. It involves bucketing of all Rate-Sensitive Assets (RSA), Rate-Sensitive Liabilities (RSL), and off-balance sheet items as per residual maturity/ re-pricing date, in various time bands and computing Earnings at Risk (EAR) i.e., loss of income under different interest rate scenarios over a time horizon of one year. Advances, HTM investments, swaps forex swaps, reverse repos are major share contributors to RSA whereas deposits, swaps /forex swaps and repos are the main elements under RSL. The DGA involves bucketing of all RSA and RSL as per residual maturity/ re-pricing dates in various time bands and computing the Modified Duration Gap (MDG) to estimate the impact on the Market value of Equity. MDG is calculated with the following formula: MDG = [MDA - MDL \* (RSL / RSA)], where MDA and MDL are the weighted averages of the Modified Duration (MD) of items of RSA and RSL, respectively. Thereafter, change in Market Value of Equity (MVE) is computed as  $\Delta E / E = -[MDG]*RSA* \Delta i / E$ , where  $\Delta$  i is change in interest rate and E is equity (i.e. net worth).

# IV. Equity price risk

Under the equity price risk, impact of a shock of a fall in the equity price index, by certain percentage points, on profit and bank capital were examined. The fall in value of the portfolio or income losses due to change in equity prices are accounted for the total loss of the banks because of the assumed shock. The estimated total losses so derived were reduced from the banks' capital.

## V. Liquidity risk

The aim of the liquidity stress tests is to assess the ability of a bank to withstand unexpected liquidity drain without taking recourse to any outside liquidity support. Various scenarios depict different

proportions (depending on the type of deposits) of unexpected deposit withdrawals on account of sudden loss of depositors' confidence along with a demand for unutilised portion of sanctioned/ committed/guaranteed credit lines (taking into account the undrawn working capital sanctioned limit, undrawn committed lines of credit and letters of credit and guarantees). The stress tests were carried out to assess banks' ability to fulfil the additional and sudden demand for credit with the help of their liquid assets alone.

Assumptions used in the liquidity stress tests are given below:

- It is assumed that banks will meet stressed withdrawal of deposits or additional demand for credit through sale of liquid assets only.
- The sale of investments is done with a haircut of 10 per cent on their market value.
- The stress test is done under a 'static' mode.

### (d) Bottom-up stress testing: Derivatives portfolios of select banks

The stress testing exercise focused on the derivatives portfolios of a representative sample set of top 21 banks in terms of notional value of the derivatives portfolios. Each bank in the sample was asked to assess the impact of stress conditions on their respective derivatives portfolios.

In case of domestic banks, the derivatives portfolio of both domestic and overseas operations was included. In case of foreign banks, only the domestic (Indian) position was considered for the exercise. For derivatives trade where hedge effectiveness was established it was exempted from the stress tests, while all other trades were included.

The stress scenarios incorporated four sensitivity tests consisting of the spot USD/INR rate and domestic interest rates as parameters (Table 3).

Domestic interest rates		

#### Table 3: Shocks for sensitivity analysis

	Domestic interest rates		
	Overnight	-2.5 percentage points	
Shock 2	Up to 1yr	-1.5 percentage points	
	Above 1yr	-1.0 percentage points	

	Exchange rates		
Shock 3	USD/INR	+20 per cent	

	Exchange rates		
Shock 4	USD/INR	-20 per cent	
Shock 4	USD/INR	-20 per cent	

# (e) Bottom-up stress testing: Credit, Market and Liquidity Risks

Bottom-up sensitivity analyses for credit, market and liquidity risks were performed by 22 select scheduled commercial bank. A set of common scenarios and shock sizes were provided to the select banks. The tests were conducted using March 2023 data. Banks used their own methodologies for calculating losses in each case.

# 2.2 Primary (Urban) Co-operative Banks

# Single factor sensitivity analysis – Stress testing

Stress testing of UCBs was conducted with reference to the reported position as of March 2023. The banks were subjected to baseline, medium and severe stress scenarios in the areas of credit risk, market risk and liquidity risk as follows:

# I. Credit Default Risk

- Under Credit Default Risk, the model aims to assess the impact of stressed credit portfolio of a bank on its CRAR.
- Arithmetic mean of annual growth rate was calculated based on reported data of NPAs between 2009 and 2022 of the UCB sector as a whole. The annual growth rate was calculated separately for each NPA class (sub-standard, Doubtful 1 (D1), Doubtful 2(D2), Doubtful 3 (D3) and loss assets). This annual growth rate formed the baseline stress scenario, which was further stressed by applying shocks of 1.5 SD and 2.5 SD to generate medium and severe stress scenarios for each category separately. These were further adjusted bank wise based on their NPA divergence level.
- Based on the above methodology, the annual NPA growth rate matrix arrived at under the three stress scenarios are as below.

	Increase in Substandard Assets	Increase in D1 assets	Increase in D2 assets	Increase in D3 assets	Increase in Loss assets
Baseline Stress	23.38	18.41	16.72	14.58	32.12
Medium Stress	64.52	47.58	40.84	50.77	176.56
Severe Stress	91.94	67.03	56.92	74.90	272.86

# II. Credit Concentration Risk

It was assumed that under the three stress scenarios the top 1, 2 and 3 single borrower exposures respectively move from 'Standard Advances' category to 'Loss Advances' category leading to 100 per cent provisioning and its consequent impact on CRAR.

# III. Interest Rate Risk in Trading Book

• The duration analysis approach was adopted for analysing upward movement of interest rates on AFS and HFT portfolio of UCBs.

135

(more cont)

- Due to absence of data with respect to Modified Duration (MD) for UCBs, the model used the Weighted Average MD of small finance banks (SFBs) given the structural similarities between SFBs and UCBs, with an increase of 50 basis points as a conservative approach.
- Upward movement of interest rates by 100 bps, 150 bps and 250 bps were assumed under the three stress scenarios and provisioning impact on CRAR was assessed.

# IV. Interest Rate Risk in Banking Book

• The Banking Book of UCBs was subjected to interest rate shocks of 100 bps, 150 bps and 250 bps under three stress scenarios and impact on Net Interest Income was arrived at.

# V. Liquidity risk

The stress test was conducted based on cumulative cash flows in the 1-28 days' time bucket. The cash inflows and outflows were stressed under baseline, medium, and severe scenarios.

While the inflows are stressed uniformly at 5 per cent under all the stress scenarios, outflows are stressed based on respective bank's past ten years' (2013-22) negative deposit growth recorded for short term (3 months) during the similar period of the year (March-June here). Since UCBs are primarily dependent on deposits as major source of funds, negative growth in deposits is considered as representation of stressed outflows. Further, three months period is considered as representation of 1-28 days' bucket as this is the closest short-term period for which deposits data is available for all the banks given all the banks submit quarterly returns. The average negative deposit growth rate for ten years is considered as baseline scenario, which is further stressed by 1.5 SD (covering 87 per cent of sample used to calculate negative deposit growth) and 2.5 SD (covering around 98 per cent of sample used to calculate negative deposit growth) to generate medium and severe stress scenarios for outflows.

The banks with negative cumulative mismatch (cash inflow less cash outflow) exceeding 20 per cent of the outflows were considered to be under stress on the basis of the circular RBI/2008-09/174 UBD. PCB. Cir. No12/12.05.001/2008-09 dated September 17, 2008, which stipulates that the mismatches (negative gap between cash inflows and outflows) during 1-14 days and 15-28-days' time bands in the normal course should not exceed 20 per cent of the cash outflows in each time band.

# 2.3 Non-Banking Financial Companies (NBFCs)

# Single factor sensitivity analysis- Stress Testing

Credit and liquidity risk stress tests for NBFCs have been performed under baseline, medium and high risk scenarios.

## I. Credit risk

Methodology for assessing the resilience of NBFC sector to shocks in credit risk had been revised in June 2022 to enhance the model's accuracy in predicting CRAR under baseline and two stress scenarios. Based on the revised model, assets, advances to total assets ratio, EBPT to total assets ratio, risk weight density and slippage ratio were projected over next one year time period. Thereafter, new slippages, provisions, EBPT, risk-weighted assets and capital were calculated for the baseline scenario. For the medium and high risk scenarios, slippages under baseline scenario was increased by 1 SD and 2 SD and accordingly new capital and CRAR were calculated.

# II. Liquidity Risk

Stressed cash flows and mismatch in liquidity position were calculated by assigning predefined stress percentage to the overall cash inflows and outflows in different time buckets over the next one year. Projected outflows and inflows as on March 2023 over the next one year were considered for calculating the liquidity mismatch under baseline scenario. Outflows and inflows of the sample NBFCs were applied a shock of 5 per cent and 10 per cent for time buckets over the next one year for the medium and high-risk scenarios respectively. Cumulative liquidity mismatch due to such shocks were calculated as per cent of cumulative outflows and NBFCs presenting negative cumulative mismatch were identified.

## 2.4 Interconnectedness - Network analysis

Matrix algebra is at the core of the network analysis, which uses the bilateral exposures between entities in the financial sector. Each institution's lendings to and borrowings from all other institutions in the system are plotted in a square matrix and are then mapped in a network graph. The network model uses various statistical measures to gauge the level of interconnectedness in the system. Some of the important measures are given below:

- I. Connectivity Ratio: This statistic measures the extent of links between the nodes relative to all possible links in a complete graph. For a directed graph, denoting total number of out degrees to equal  $K = \sum_{i=1}^{N} k_i$  and N as the total number of nodes, connectivity ratio is given as  $\frac{K}{N(N-1)}$ .
- II. Cluster coefficient: Clustering in networks measures how interconnected each node is. Specifically, there should be an increased probability that two of a node's neighbours (banks' counterparties in case of a financial network) are neighbours to each other also. A high clustering coefficient for the network corresponds with high local interconnectedness prevailing in the system. For each bank with  $k_i$  neighbours the total number of all possible directed links between them is given by  $k_i$  ( $k_i$ -1). Let  $E_i$  denote the actual number of links between agent i's  $k_i$  neighbours, *viz*, those of i's  $k_i$  neighbours who are also neighbours. The clustering coefficient C<sub>i</sub> for bank i is given by the identity:

$$C_i = \frac{E_i}{k_i(k_i - 1)}$$

The clustering coefficient (C) of the network as a whole is the average of all Ci's:

$$\mathbf{C} = \frac{\sum_{i=1}^{N} C_i}{N}$$

III. Tiered network structures: Typically, financial networks tend to exhibit a tiered structure. A tiered structure is one where different institutions have different degrees or levels of connectivity with others in the network. In the present analysis, the most connected banks are in the innermost core. Banks are then placed in the mid-core, outer core and the periphery (the respective concentric circles around the centre in the diagrams), based on their level of relative connectivity. The range of connectivity of the banks is defined as a ratio of each bank's in-degree and out-degree divided by that of the most connected bank. Banks that are ranked in the top 10 percentile of this ratio constitute the inner core. This is followed by a mid-core of banks ranked between 90 and 70 percentile and a 3<sup>rd</sup> tier of banks ranked between the 40 and 70 percentile. Banks with a connectivity ratio of less than 40 per cent are categorised as the periphery.

- IV. Colour code of the network chart: The blue balls and the red balls represent net lender and net borrower banks respectively in the network chart. The colour coding of the links in the tiered network diagram represents the borrowing from different tiers in the network (for example, the green links represent borrowings from the banks in the inner core).
  - (a) Solvency contagion analysis

The contagion analysis is in nature of stress test where the gross loss to the banking system owing to a domino effect of one or more banks failing is ascertained. We follow the round by round or sequential algorithm for simulating contagion that is now well known from Furfine (2003). Starting with a trigger bank i that fails at time 0, we denote the set of banks that go into distress at each round or iteration by Dq, q=1,2, ...For this analysis, a bank is considered to be in distress when its Tier I CRAR goes below 7 per cent. The net receivables have been considered as loss for the receiving bank.

#### (b) Liquidity contagion analysis

While the solvency contagion analysis assesses potential loss to the system owing to failure of a net borrower, liquidity contagion estimates potential loss to the system due to the failure of a net lender. The analysis is conducted on gross exposures between banks. The exposures include fund based and derivatives ones. The basic assumption for the analysis is that a bank will initially dip into its liquidity reserves or buffers to tide over a liquidity stress caused by the failure of a large net lender. The items considered under liquidity reserves are: (a) excess CRR balance; (b) excess SLR balance; and (c) 18 per cent of NDTL. If a bank is able to meet the stress with liquidity buffers alone, then there is no further contagion.

However, if the liquidity buffers alone are not sufficient, then a bank will call in all loans that are 'callable', resulting in a contagion. For the analysis only short-term assets like money lent in the call market and other very short-term loans are taken as callable. Following this, a bank may survive or may be liquidated. In this case there might be instances where a bank may survive by calling in loans, but in turn might propagate a further contagion causing other banks to come under duress. The second assumption used is that when a bank is liquidated, the funds lent by the bank are called in on a gross basis (referred to as primary liquidation), whereas when a bank calls in a short-term loan without being liquidated, the loan is called in on a net basis (on the assumption that the counterparty is likely to first reduce its short-term lending against the same counterparty. This is referred to as secondary liquidation).

### (c) Joint solvency-liquidity contagion analysis

A bank typically has both positive net lending positions against some banks while against some other banks it might have a negative net lending position. In the event of failure of such a bank, both solvency and liquidity contagion will happen concurrently. This mechanism is explained by the following flowchart:



Flowchart of Joint Liquidity-Solvency contagion due to a bank coming under distress

The trigger bank is assumed to have failed for some endogenous reason, i.e., it becomes insolvent and thus impacts all its creditor banks. At the same time it starts to liquidate its assets to meet as much of its obligations as possible. This process of liquidation generates a liquidity contagion as the trigger bank starts to call back its loans.

Since equity and long-term loans may not crystallise in form of liquidity outflows for the counterparties of failed entities, they are not considered as callable in case of primary liquidation. Also, as the RBI guideline dated March 30, 2021 permits the bilateral netting of the MTM values in case of derivatives at counterparty level, exposures pertaining to derivative markets are considered to be callable on net basis in case of primary liquidation.

The lender/creditor banks that are well capitalised will survive the shock and will generate no further contagion. On the other hand, those lender banks whose capital falls below the threshold will trigger a fresh contagion. Similarly, the borrowers whose liquidity buffers are sufficient will be able to tide over the stress without causing further contagion. But some banks may be able to address the liquidity stress only by calling in short term assets. This process of calling in short term assets will again propagate a contagion.

The contagion from both the solvency and liquidity side will stop/stabilise when the loss/shocks are fully absorbed by the system with no further failures.

# 2.5 Financial System Stress Indicator (FSSI)

FSSI is compiled using risk factors spread across five financial market segments (equity, forex, money, government debt and corporate debt), three financial intermediary segments (banks, NBFCs and AMC-MFs) as well as real sector (Table 4). FSSI lies between zero and unity, with higher value indicating more stress. For its construction, the risk factors pertaining to each component segment are first normalised using min-max method and thereafter aggregated based on simple average into a sub-indicator 'y<sub>i</sub>' representing the ith market/ sector. Finally, the composite FSSI is obtained as,

$$FSSI_t = \sum_{i=1}^9 w_i y_{ii}$$

where the weight ' $w_i$ ' of each sub-indicator ' $y_i$ ' is determined from its sample standard deviation ' $s_i$ ', as,

$$w_i = \frac{1/s_i}{\sum_{i=1}^{9} (1/s_i)}$$

	Table 4: Risk factors constituting each component of FSSI
Equity Market	1. Difference between NIFTY 50 monthly returns and its maximum over a two-year rolling window
	2. NIFTY 50 Market capitalisation-to-GDP ratio
	3. NSE-VIX Index
	4. Net Equity FPI flows
Government Debt	5. Realised volatility in 10-year G-Sec yield
Market	6. Term Spread: Spread between 10-year G-Sec yield and 3-month T-Bill rate
	7. Increase in the 10-year G-Sec yield compared to the minimum over a two-year rolling window
	8. Net Debt FPI flows
Forex Market	9. Difference between rupee dollar exchange rate and its maximum over a two-year rolling window.
	10. m-o-m appreciation/depreciation of rupee dollar exchange rate
	11. GARCH (1,1) volatility of rupee dollar exchange rate
	12. Difference between 3-month forward premia and its historical maximum.
Money/Short Term	13. Spread between weighted average call rate and weighted average market repo rate
Market	14. Spread between 3-month CD rate and 3-month T-Bill rate
	15. Spread between 3-month non-NBFC CP rate and 3-month T-Bill rate
	16. Realised volatility of 3-month CP rate
	17. Spread between 3-month OIS rate and 3-month T-Bill rate
Corporate Bond	18. Yield spread between 3-year AAA corporate bonds and 3-year G-Sec
Market	19. Difference between 3-year BBB and 3-year AAA corporate bond yield
	20. Difference between 3-year BBB corporate bond yield and its maximum

Banking Sector SCBs		<ol> <li>21. CRAR (SCBs)</li> <li>22. RoA (SCBs)</li> <li>23. LCR (SCBs)</li> <li>24. Cost-to-Income (SCBs)</li> <li>25. Stressed Assets Ratio (SCBs)</li> <li>26. Banking Beta: cov(r,m)/var(m), over 2-year moving window. r = Bank NIFTY y-o-y, m = NIFTY 50 y-o-y</li> </ol>	
	UCBs	<ul><li>27. GNPA ratio (UCBs)</li><li>28. CRAR (UCBs)</li><li>29. RoA (UCBs)</li></ul>	
NBFC Sector	<ol> <li>30. GNP.</li> <li>31. CRAI</li> <li>32. RoA</li> <li>33. Spres</li> </ol>	30. GNPA ratio 31. CRAR 32. RoA 33. Spread between 3-month NBFC CP rate and 3-month T-Bill rate	
AMC-MF Sector	34. Mutt 35. Mutt	34. Mutual fund redemptions: y-o-y 35. Mutual fund net inflows	
Real Sector	<ul> <li>36. GDP growth</li> <li>37. CPI inflation</li> <li>38. Current account balance as a share of GDP</li> <li>39. Gross fiscal deficit as a share of GDP</li> </ul>		